## Block-based Fair Queuing: An Efficient Network QoS Provisioning Algorithm for High-speed Data Transmission

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# Outline

- Background
- Motivation
- Proposed method
- Simulation
- Summary

# Background

### Traffic scheduling algorithm

To allocate the limited bandwidth to all of the sessions sharing an

outgoing link.

#### Traffic characteristics

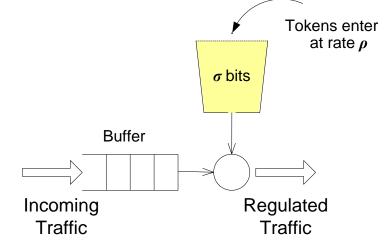
- Maximum burst size
- Average arriving rate

## Performance requirements

- Maximum delay
- Maximum latency

## Traffic model (Token bucket)

- New tokens are continuously filling the bucket at a constant rate
- The bucket has a maximum volume of token number
- An arriving packet is released only when it can remove a number of tokens equal to its packet length



## Motivation

#### Premise

- There exists tradeoff between packet latency and computational complexity
  - packet latency \( \psi, \) computational complexity \( \psi \)

Characteristic Service Discipline	Complexity	Start-up Latency
WFQ	O(N)	$p_{i,\text{max}}/r_i + p_{\text{max}}/C$
SCFQ	O(logN)	$p_{i,\text{max}}/r_i + \sum_{j=1}^{N} p_{j,\text{max}}/C$
DRR	O(1)	$(3F-2u_i)/C$

#### Observation

All sessions suffer the same performance degradation in a simplified algorithm

#### Question

– How to reduce the computation time under the existing tradeoff?

#### Solution

- To increase the data length in each scheduling computation in WFQ algorithm
- To save computation time through parameter setting, instead of applying simplified algorithm

## **Previous Work**

- WFQ (Weighted Fair Queuing)
  - Concept
    - Each session is reserved a positive real number as its service weight
    - Sessions are served at rates proportional to their service weights
  - Mechanism
    - Each arriving packet is stamped with a service tag
    - Packets are picked up for transmission in increasing order of their tag values.
  - Service Tag
    - The service tag for the  $k^{th}$  packet on session i is defined as

$$F_{i,0} = 0$$
  
 $F_{i,k} = \max\{V(a_{i,k}), F_{i,k-1}\} + p_{i,k} / w_i$ 

System virtual time

$$\frac{dV(t)}{dt} = \frac{1}{\sum_{j \in B(t)} w_j}$$

 $V(t_0)=0$ 

# **Proposed Method**

### Block-based Weighted Fair Queuing (BWFQ)

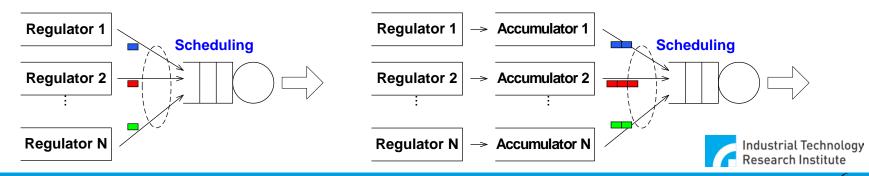
- An extension of WFQ algorithm
- Two parameters
  - weight (w<sub>i</sub>): determine the ratio of service rate
  - granule  $(g_i)$ : determine the data length for scheduling

### Concept

- Packets from each session are aggregated to blocks in advance
- The order of data transmission is arranged in unit of block

#### Performance

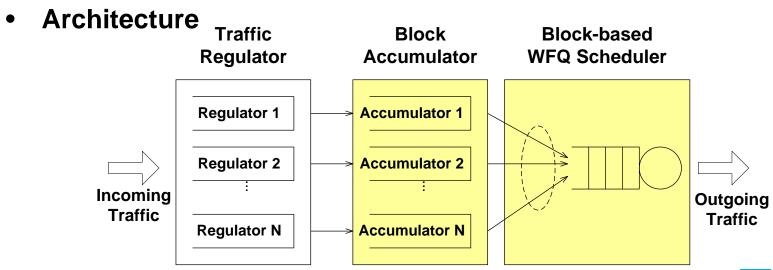
- By assigning great granules to delay-insensitive sessions
  - → computation time is saved
- By assigning small granules to delay-sensitive sessions
  - → QoS is guaranteed



# **Proposed Method**

### Components

- Traffic Regulator :
  - To regulate traffic from each session to conform to a token bucket model
- Block Accumulator :
  - To combine packets from each session to form data blocks
- WFQ Scheduler :
  - To sort the blocks from all sessions for transmission according to WFQ algorithm



### Comparison of complexity

BWFQ has the same complexity of WFQ algorithm

Characteristic Algorithm	Complexity	Start-up Latency
WFQ	O(N)	$p_{i,\text{max}}/r_i + p_{max}/C$
BWFQ	O(N)	$(g_i + p_{i,\text{max}}) / r_i + p_{max} / C$

### Comparison of computation time

BWFQ saves computation time by scheduling the data in unit of block

<b>Component</b> Traff	Traffic Regulator	Block Accumulator	WFQ Scheduler		
	Trailic Regulator		Service tag	Virtual time	Sorting
Formula	$\max\{0,(p_{i,k}-\sigma_i(t))\} / \rho_i$	$\max\{0,(g_{i}-q_{i}(t))\}/r_{i}$	$\max \{V(a_{i,k}), F_{i,k-1}\}$		
			$+ p_{i,k} / C \cdot w_i$	$t/(\Sigma_{j\in B(t)} w_j)$	
Complexity	O(1)	O(1)	O(1)	O(N)	O(logN)
WFQ	1/packet	0	1/packet	1/packet	1/packet
BWFQ	1/packet	(1/packet)	1/block	1/block	1/block

### Expectation of maximum delay

Mechanism of block aggregation introduces an extra delay no more than  $g_i/r_i$ 

$$D_i^{*,BWFQ} \leq D_i^{*,WFQ} + g_i/r_i$$

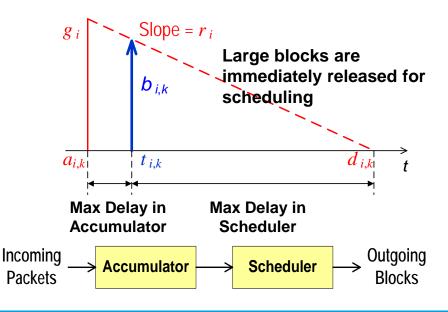
 $D_i^{*,X}$ : max delay of X algorithm for session i

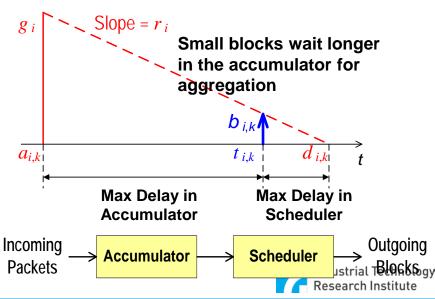
 $g_i$ : granule of session i

 $r_i$ : min service rate for session i

 $b_{i,k}:$  the  $k^{th}$  block size on session i

- Maximum accumulating time
  - The max service delay in the Scheduler is  $b_{i,k}/r_i$ 
    - $\rightarrow$  The max waiting time in the Accumulator is limited by  $(g_i b_{i,k}) / r_k$



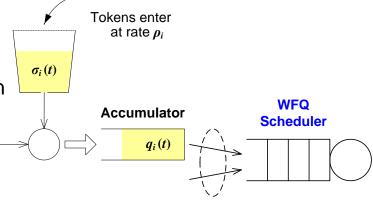


#### Potential burst size

- For each session i, the data released to Scheduler has a potential burst size of  $\sigma_i(t)+q_i(t)$ 

•  $\sigma_i(t)$ : The token number in the Bucket at time t

•  $q_i(t)$ : The length of all packets waiting in the Accumulator at time t



#### Influence

The delay upper bound guaranteed by the Scheduler may be broken.

#### Additional constraint

- the maximum block size  $B_i$  should compensate for the potential increment in burst size.

 $B_i = g_i - \max\{0, \sigma_i(t_{i,1}) + b_{i,1} - \sigma_i\}$ 

 $B_i$ : max block size of session i

 $g_i$ : granule of session i

 $oldsymbol{b_{i,1}}$ : the size of the first block in a busy period

 $t_{i,1}$ : release time of the first block from Accumulator

 $\sigma_i$ : max token number

#### The lower bound of maximum block size

- **Theorem:** For a session i that conforms to a token bucket  $(\sigma_i, \rho_i)$ , where  $\rho_i < r_i$ 

$$B_{i} = g_{i} - \max\{0, \sigma_{i}(t_{i,1}) + b_{i,1} - \sigma_{i}\}$$

$$> \max\{q_{i}(t_{i,1}), g_{i} - q_{i}(t_{i,1})\} > g_{i}/2$$

 $B_i$ : max block size of session i in a busy period

 $g_i$ : granule of session i

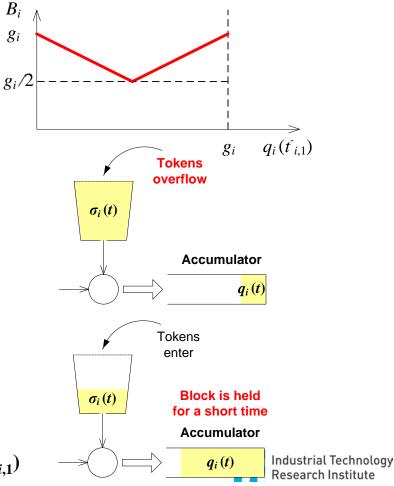
 $t_{i,1}$ : release time of the first block from Accumulator  $q_i(t)$ : the length of all packets of session i waiting in

the Accumulator at time t

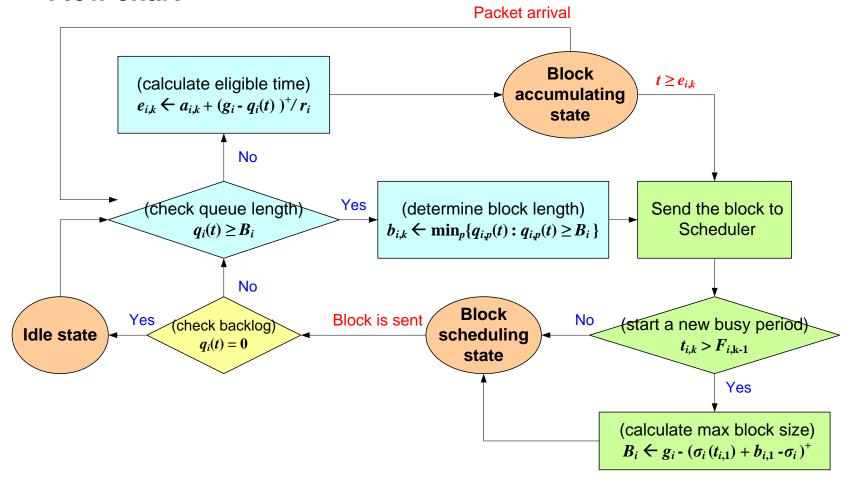
#### – Proof:

• Case1)  $q_i(t_{i,1}) < g_i/2$ We can prove that  $B_i = g_i - \max\{0, \sigma_i(t_{i,1}) + b_{i,1} - \sigma_i\} > q_i(t_{i,1})$ 

• Case2)  $q_i(t_{i,1}^-) \ge g_i/2$ We can prove that  $B_i = g_i - \max\{0, \sigma_i(t_{i,1}) + b_{i,1} - \sigma_i\} > g_i - q_i(t_{i,1})$ 



#### Flow chart



### The upper bound of packet delay

- **Theorem:** Given a session i that conforms to a token bucket  $(\sigma_i, \rho_i)$ , and  $\rho_i < r_i$ , the BWFQ server guarantees a delay bounds as

$$D_i^{*,BWFQ} \leq D_i^{*,WFQ} + g_i/r_i$$

 $D_i^{*,X}$ : max delay of X algorithm for session i

 $g_i$ : granule of session i

 $r_i$ : min service rate for session i

- Proof:
  - Packet departure time

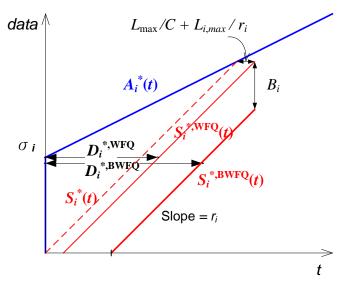
$$d_{i,k} \le \min \left\{ t : S_i(t_{i,1}, t) = \sum_{u=1}^k b_{i,u} \right\} + \frac{p_{\text{max}}}{C}$$

Packet arrival time

$$a_{i,k} \ge \max \left\{ \tau : A_i \left( a_{i,1}, \tau \right) = \sum_{u=1}^{k-1} b_{i,u} \right\} \ge$$

• Maximum delay time

$$\begin{split} D_{i}^{*,BWFQ} &= \max_{k \geq 1} \left\{ d_{i,k} - a_{i,k} \right\} \\ &= \max_{\tau > 0} \left\{ t - \tau : S_{i}^{*}(t) = A_{i}^{*}(\tau) + g_{i} + p_{i,\max} \right\} + \underbrace{p_{\max}}_{C} \\ &\leq \dots = D_{i}^{*,WFQ} + \underbrace{g_{i}}_{r_{i}} \end{split}$$



## Simulation

#### Simulation Model

Parameter	Value
Total bandwidth (C)	100 Mbps
Number of sessions (n)	10, 20, 30, and 40
Granule (g)	0, 1000, 2000, 3000, 4000 bytes
Source	ON-OFF traffic model
Packet size (l)	Uniformly distributed between (100,1500) bytes
Max burst size (σ)	5000 bytes
Average rate (ρ)	99 / n Mbps
Service weight (w)	1/n
Simulation length	600 sec

### Algorithm

- WFQ, SCFQ, BWFQ

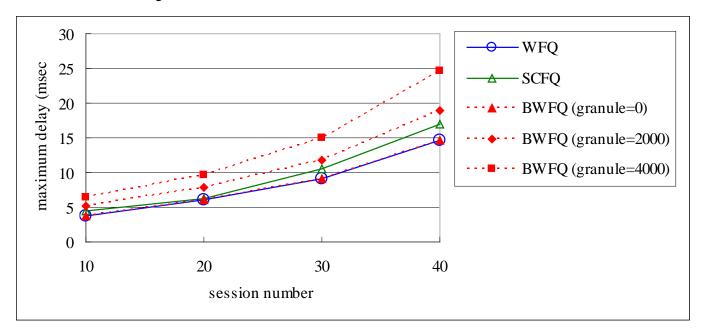
#### Metrics

- Maximum delay: The max packet delay time in the BWFQ server.
- Average block size: The average size of transmission data in each scheduling computation.



## Simulation Result

### Maximum delay



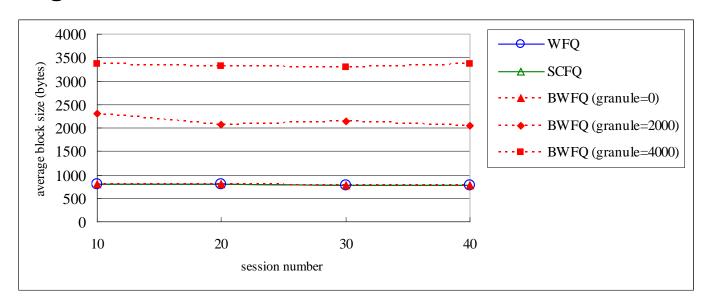
## Comparison

- Compared to SCFQ, BWFQ provides lower delay for sessions with granule = 0
- Compare to WFQ, the extra delay in BWFQ is bounded by  $g_i/r_i$



## Simulation Result

### Average block size



### Comparison

- Compared to WFQ, BWFQ reduces the computation time by increasing the data length in each scheduling computation
- The average block size increases with granule, and is independent of the session number

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# Summary

## We proposed the Block-based WFQ algorithm

- Concept
  - To allocate a suitable amount of computation resource to each session through parameter setting
- Method
  - Use two parameters to control the minimum bandwidth and delay upper bound
  - Dynamically aggregate packet in advance
  - Arrange the data transmission order in unit of block
- Performance
  - Save the computation time by setting great granules for delay-insensitive sessions
  - Guarantee the delay upper bound by setting small granules for delay-sensitive sessions
- Limitation
  - BWFQ has the same complexity as WFQ



## THANK YOU

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